

Liquefiability evaluations also in need of info on Stress History / Aging

- Jamiolkowski et al. (S. Francisco 1985) "*Reliable predictions of sand liquefiability...require...some new in situ device [other than CPT or SPT], more sensitive to effects of past **STRESS-STRAIN HISTORIES***"
- Leon et al. (ASCE GGE 2006) South Carolina sands. "*Ignoring **AGING** and evaluating CRR from in situ tests insensitive to aging (SPT, CPT, VS) underestimated CRR by a large 60 %*"
- Monaco & Schmertmann (ASCE GGE 2007) "*Disregarding **AGING** \approx omitting a primary parameter in the correlation predicting CRR*"

Ignoring Stress History \approx omit a primary parameter. Consequence : CRR predicted by CPT (insensitive to SH) uncertain

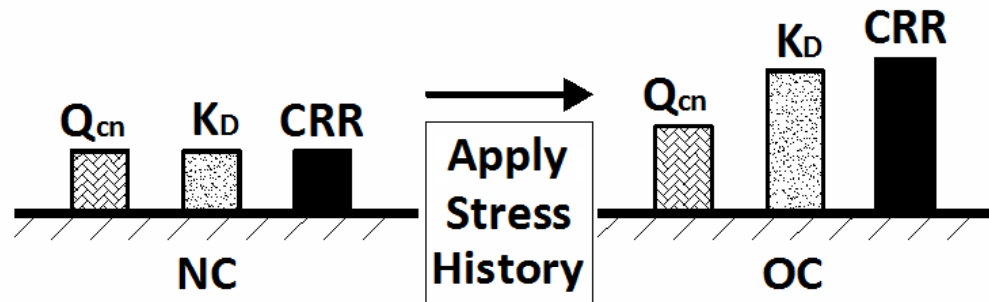
This is the reason why v. cautious recommendations on CRR by CPT :

Robertson & Wride (1998) → CRR by CPT adequate for low-risk projects. For high-risk : estimate CRR by more than one method

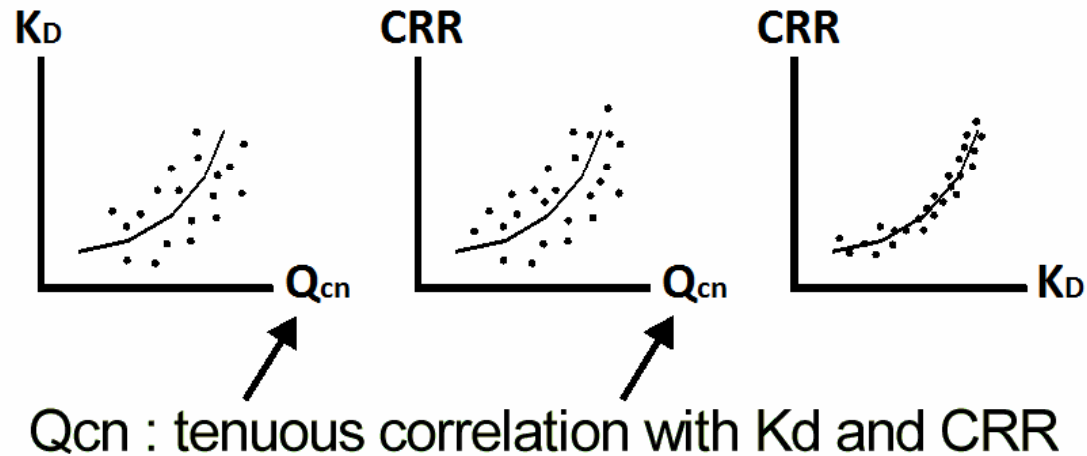
Youd & Idriss 2001 (NCEER Workshops) → use 2 or more tests for a more reliable evaluation of CRR

Idriss & Boulanger (2004) → the allure of relying on a single approach (e.g. CPT-only) should be avoided

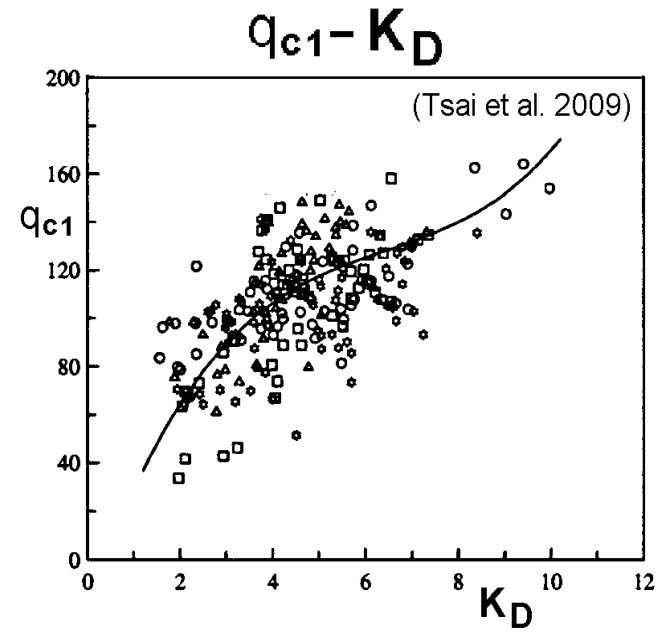
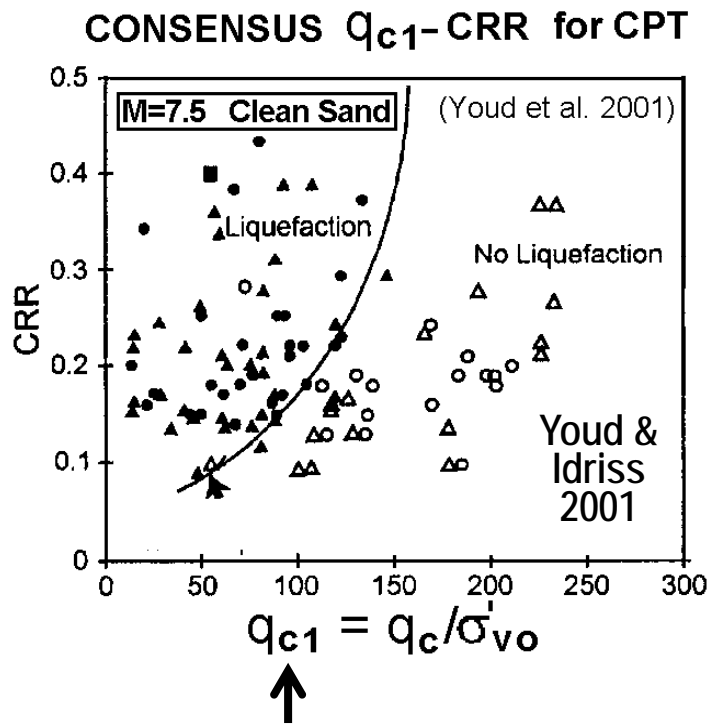
Why expect a stricter correlation and a more accurate CRR if CRR is predicted by K_D



It appears logical to expect



OK DMT is more sensitive to SH. But there is much more experience for CPT. Therefore Tsai translated the large CPT experimental base to DMT.



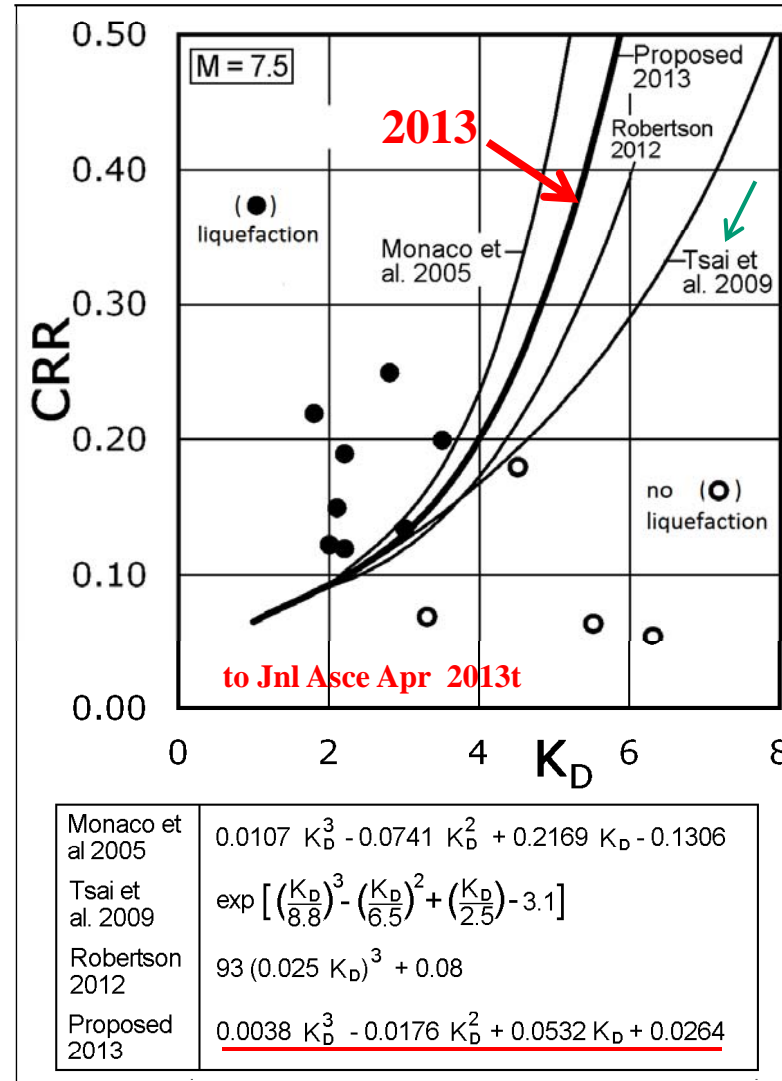
$q_{c1} = f(Kd)$



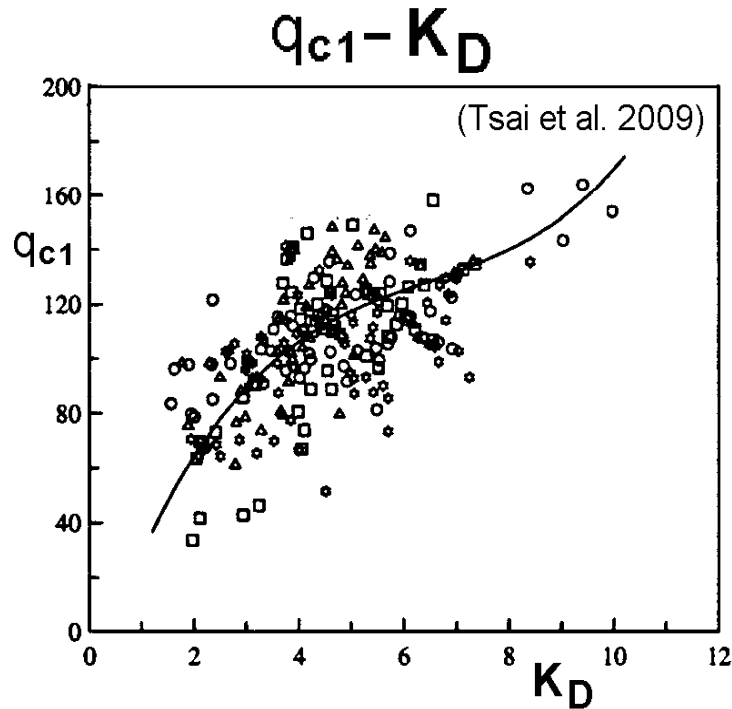
Replace q_{c1} with Kd
Thus : obtain CRR- Kd

Tsai (2009) ran side-by-side CPT-DMT. From profiles-CPT next to profiles-DMT he had pairs (Q_{c1}, K_D) $\Rightarrow Q_{c1}=f(Kd)$

Tsai's 2009
and
latest (2013)
correlations
to predict
CRR from K_D



Scatter of the Q_{c1} - K_D relation

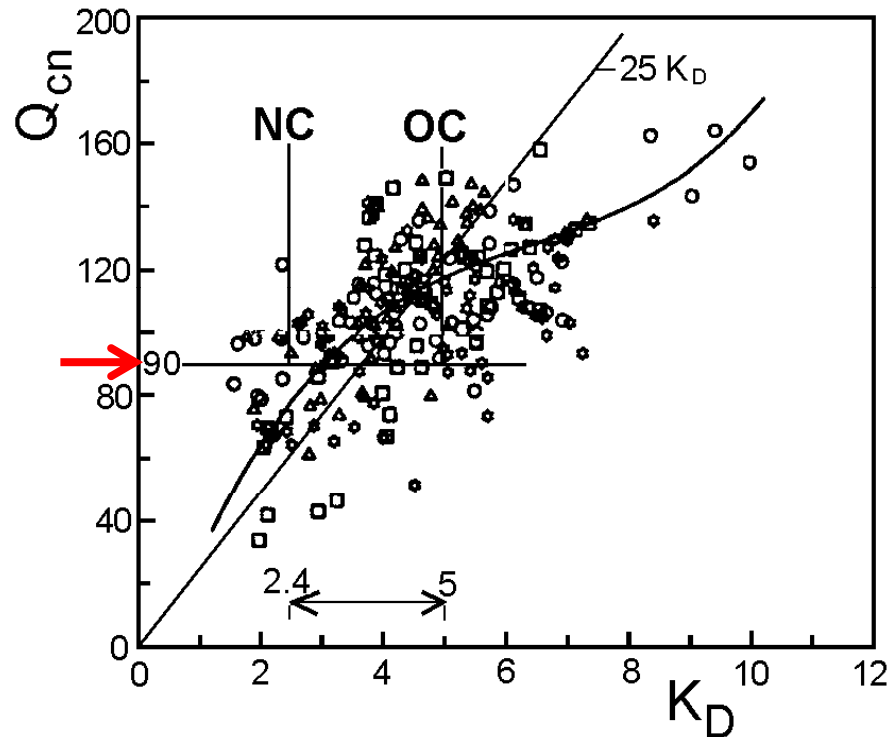


A notable feature of the Q_c - K_d correlation (used for the translation) is the high scatter.

At first sight one might consider doubtful the resulting K_d -CRR correlation, being the translation based on the highly dispersed Q_{c1} - K_d correlation.

Not so. The scatter is just natural, is the consequence of K_d reacting to factors unfelt by Q_{c1} . If there was no scatter would mean Q_{c1} and K_d contain the same information, which is not the case, as K_d is reactive to SH, Q_{c1} is not.

**Consider two sites identical except one has had SH.
 Q_{cn} is the same, but K_d is higher in site with SH.**



Eg we might find the same
 $Q_{cn} = 90$ in sands having :

$K_d = 2.4$ (\approx liq \rightarrow CRR = 0.12)

or

$K_d = 5$ (no liq \rightarrow CRR = 0.22)

In conclusion while $Q_{cn} = 90$ predicts CRR = 0.15, CRR could in reality be 0.12-0.22 (factor 2). Note : 0.12-0.22 are both right ! explains historical controversies by researchers.

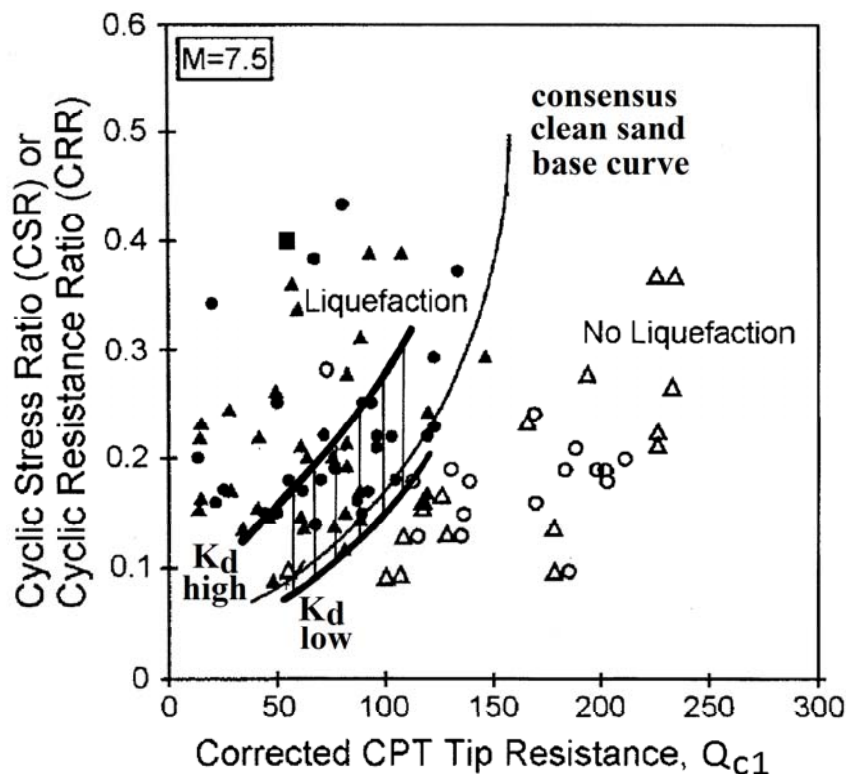
High scatter in K_d - Q_{cn} is good news

The higher the scatter, the higher the possible accuracy gain in predicting CRR by moving from predicting CRR based on parameters scarcely sensitive to Stress History to predicting CRR based on $K_D \gg$ sensitive to Stress History.

Translation via average eliminates scatter. The translation is ave to ave. Then low/ high K_d will automatically assign low/ high CRR, though Q_c may be the same.

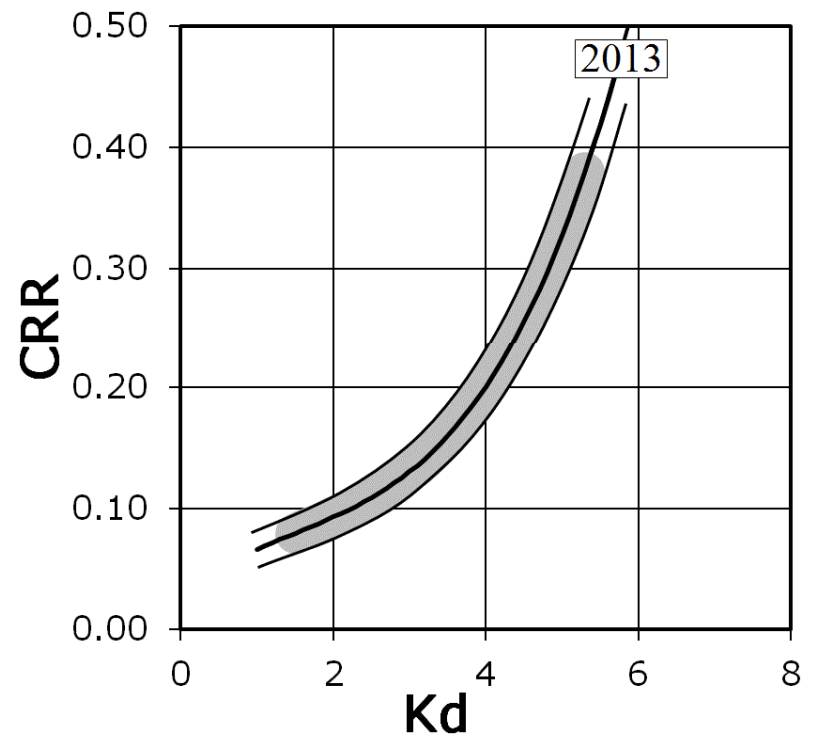
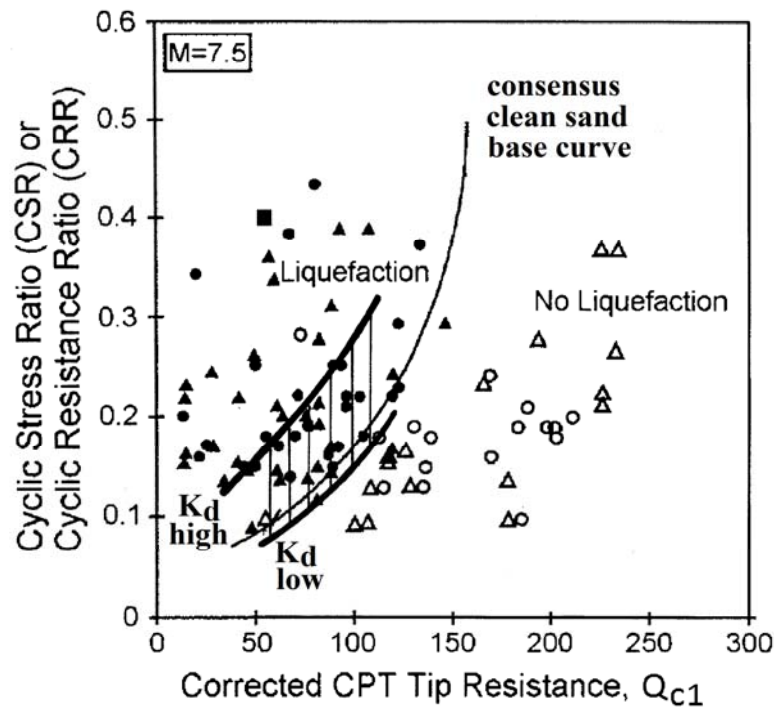
Recent research confirmed : the CPT-clean-sand curve not unique but comprised in a wide band f(SH)

This Fig. too : for a given $Q_c \rightarrow$ highly variable CRR by CPT
Lower limit to be adopted for sites with SH and viceversa.
The CPT “consensus” curve is generally conservative.
BUT can be v. uneconomical in prestressed/ aged sands.

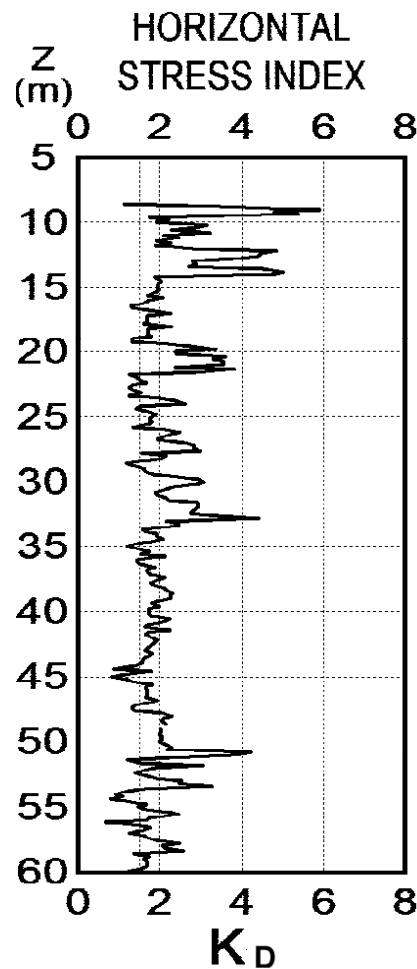


Coincides with Lewis 1999 :
“using CPT current correlations in old/ aged sands will, at best, result in v. conservative and uneconomical design, at worst in v. costly remedial measures or cancellation of a project”

The 2013 CRR-Kd correlation is expected to reduce band of uncertainty for predicting CRR

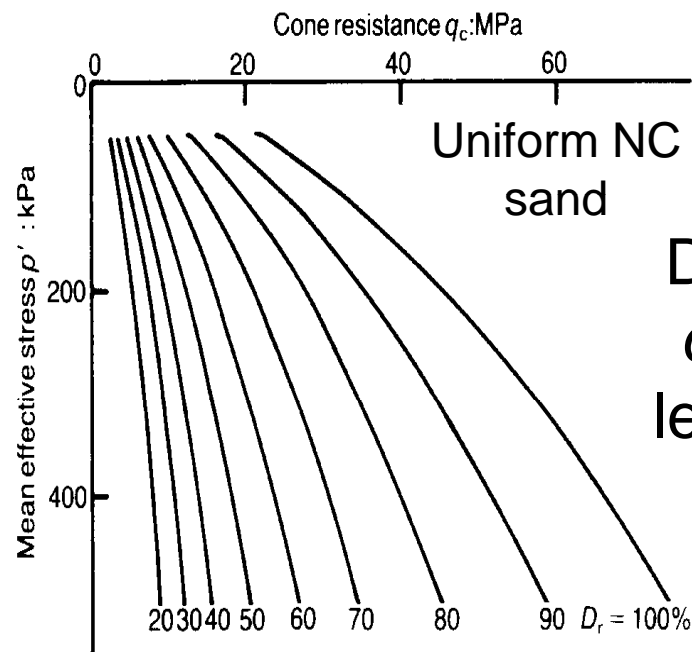


A note on exponent n used for obtaining the normalized parameters K_d or Q_{cn} (used for predicting CRR)



Blade no arching :
side ratio ≈ 6

$$Q_{cn} = [(q_c - \sigma_v) / p_a] (p_a / \sigma'_v)^n$$



Due to arching :
 $q_c(z)$ increases
less than linearly

$n = 1$ a welcome simplification – avoids the iterative procedure to determine Q_{cn} and \underline{n} , an additional soil unknown ($n=0.5-1$)

Determining “ \underline{n} ” (0.5 to 1) not straightforward

Flow chart - Iterations by computer

